



# *Outline of the lectures*

- *Filtering*
- *Calibration and alignment*
- *Event Reconstruction*
- *Event Simulation*
- *Physics Analysis*



# What is Physics Computing?

- **Input:** A few petabytes of data (at most)
- **Output:** A few hundred papers (at least)
- Not yet *fully* automatized
- What happens to the data?

“HABENT SUA FATA DATA”

after Terentius Maurus, 2<sup>nd</sup> century AD



# What happens to the data?

- Data filtering and storage
- Conversion, calibration, alignment
- Event reconstruction
- Event simulation
- Physics analysis
- In each step they get closer to be interpretable in physical terms

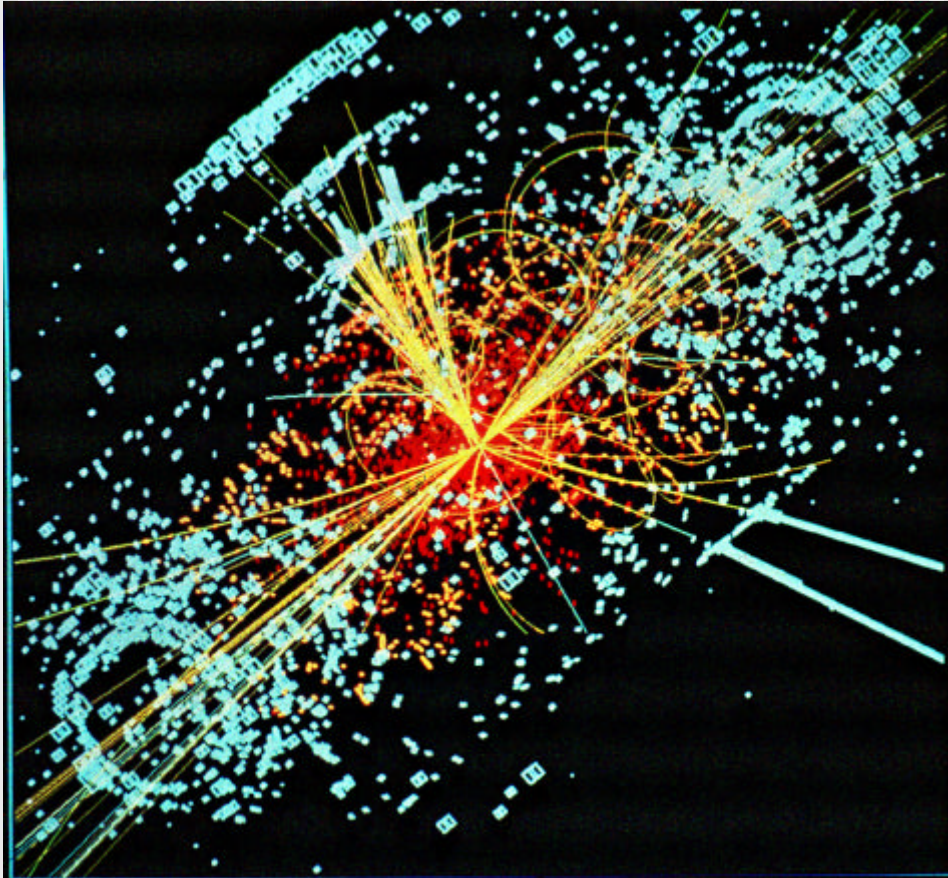


# The challenge

- Very high event rate
- Large event size
- Large background of uninteresting events
- Large background in each event
  - many interactions in each BX
  - many low-momentum particles
- Large number of physicists doing analysis



# The challenge





# Data filtering

- Primary collision rate: 40 Megahertz
- Recording rate: 100 Hertz
- How is this achieved?
  - Multilevel trigger
  - Very fast first level: (Programmable) hardware
  - Slower second level: Software on fast processors
- **Reliable: Rejected data are lost forever**
- **Conservative: Do not lose new physics**

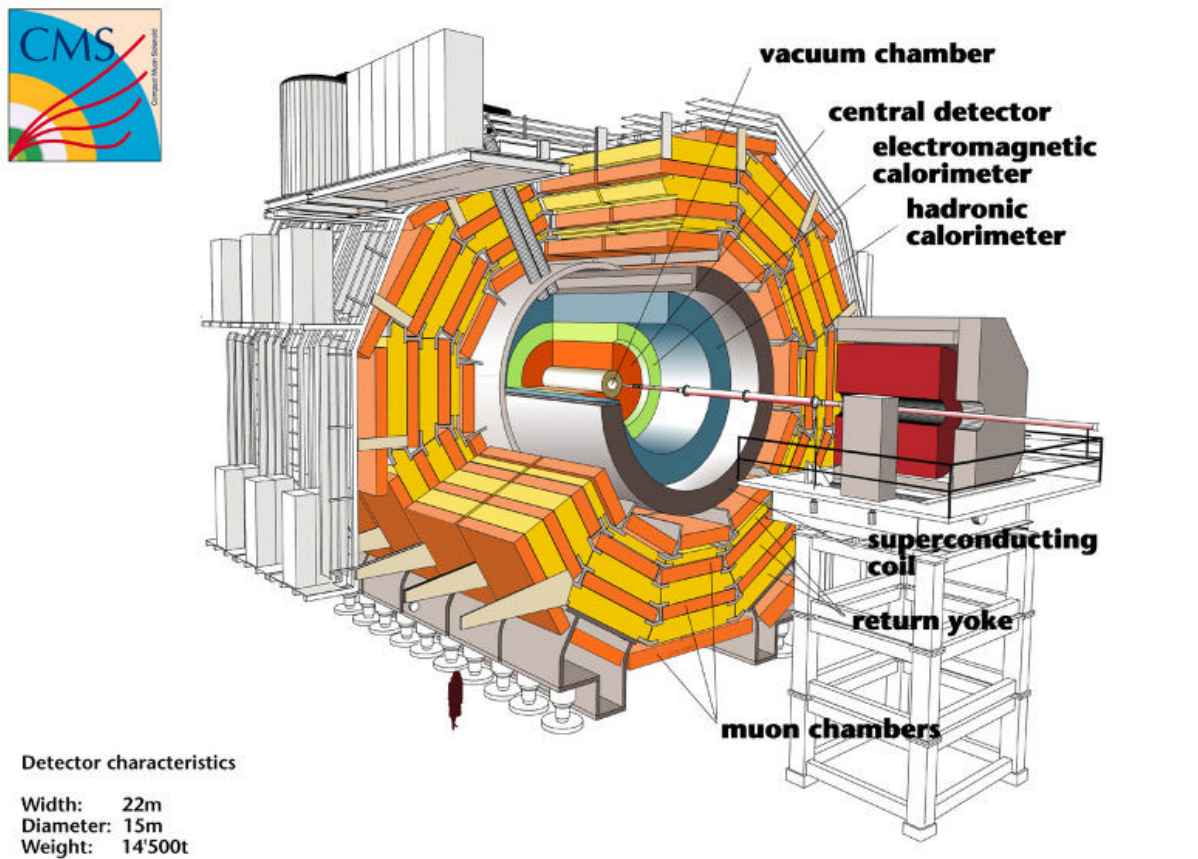


# Multilevel trigger

- Dead-time has to be minimized
- Many collisions can be discarded very quickly – Level 1
- Only the surviving ones are scrutinized more carefully – High Level Trigger(s)
- Triggers are tailored to specific physics channels (Higgs, top, WW, ZZ, ...)



# Example: CMS





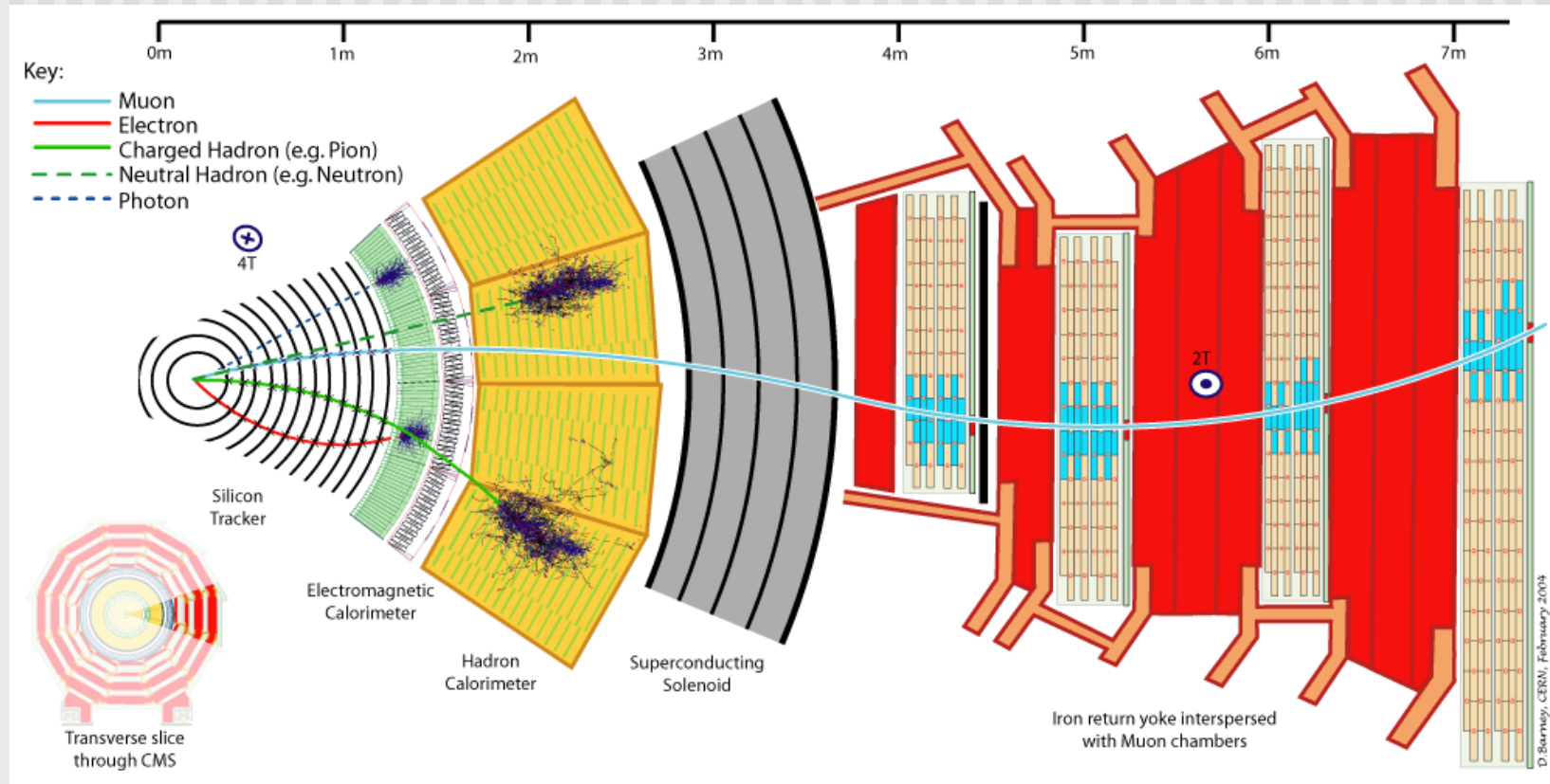


# What CMS subdetectors measure

- **Inner tracker (pixels+strips)**
  - Momentum and position of charged tracks
- **Electromagnetic calorimeter**
  - Energy of photons, electrons and positrons
- **Hadronic calorimeter**
  - Energy of charged and neutral hadrons
- **Muon system**
  - Momentum and position of muons



# What CMS subdetectors measure





## CMS L1 trigger

- Input rate: 40 megahertz
- Output rate: 30 – 100 kilohertz
- Latency: 3.2  $\mu$ s (128 BX)
- Pipelined, dead-time < 1%
- Available time for calculations: 1.25  $\mu$ s
- 2 detector systems: muons/calorimeters
- 3 main steps: local/regional/global



# CMS L1 calorimeter trigger

## ➤ Calorimeter trigger:

- Two types of calorimeters
- Local: Computes energy deposits
- Regional: Finds candidates for electrons, photons, jets, isolated hadrons; computes transverse energy sums
- Global: Sorts candidates in all categories, does total and missing transverse energy sums, computes jet multiplicities for different thresholds



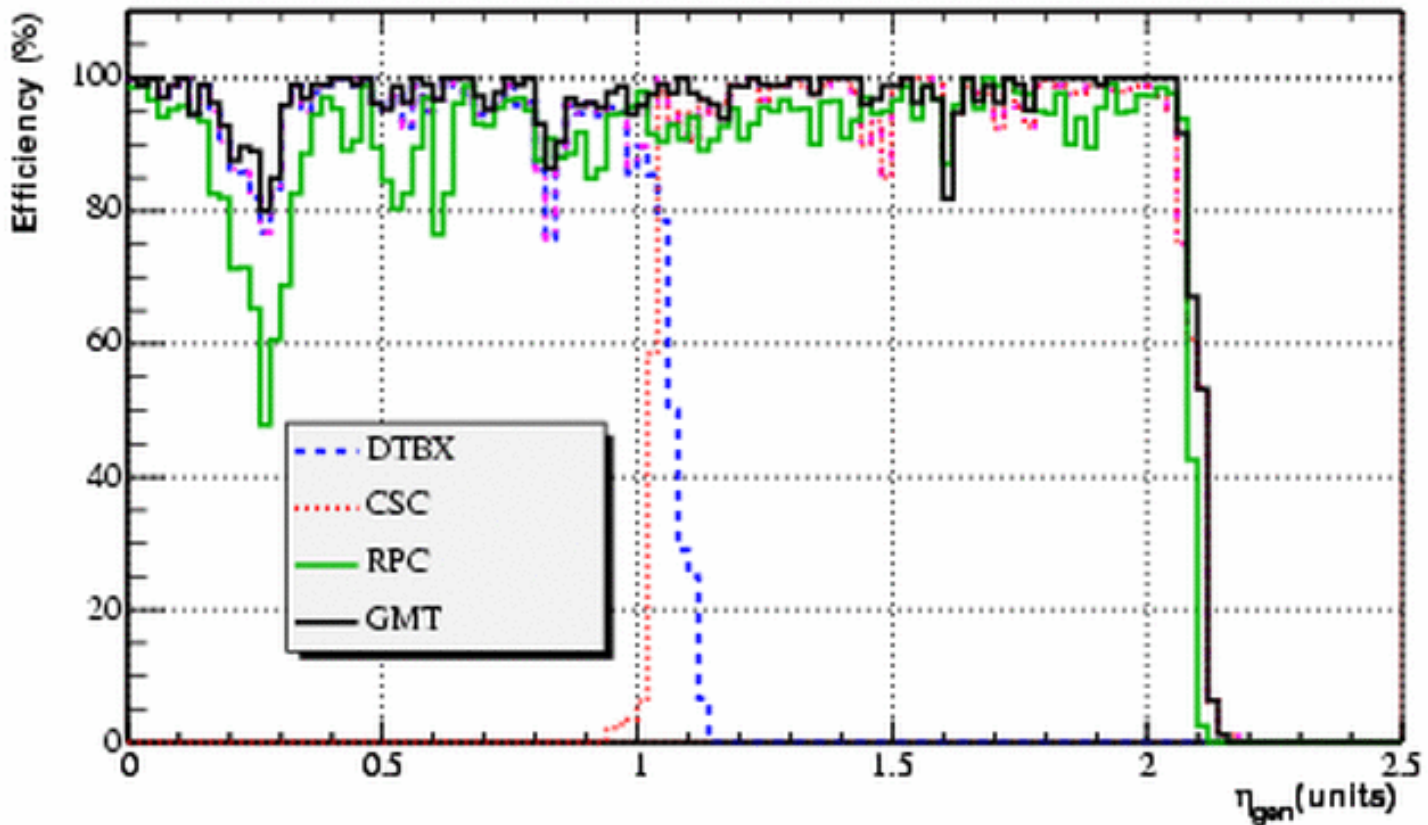
# CMS L1 muon trigger

## ➤ Muon trigger:

- Three types of muon detectors
- Local: Finds track segments
- Regional: Finds tracks
- Global: Combines information from all regional triggers, selects best four muons, provides energy and direction



# Efficiency of global muon trigger





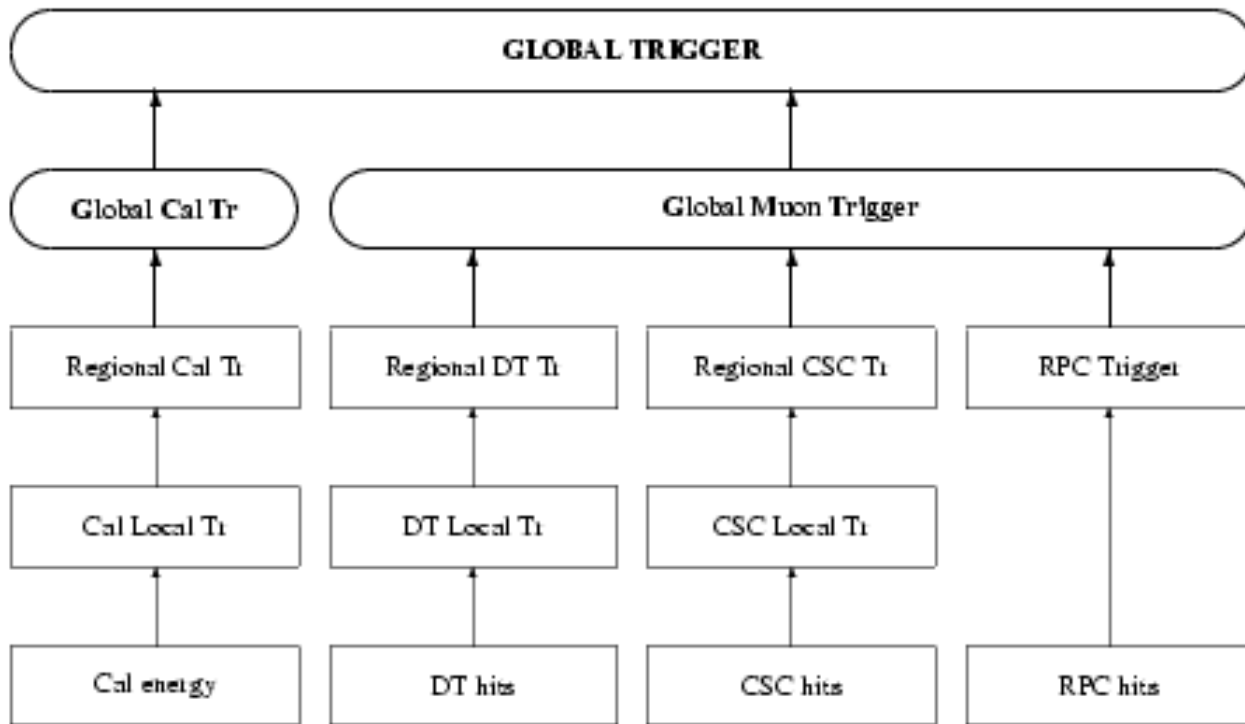
# CMS L1 global trigger

## ➤ Global trigger:

- Final decision logic
- 28 input channels (muons, jets, electrons, photons, total/missing  $E_T$ )
- 128 trigger algorithms running in parallel
- 128 decision bits
- Apply conditions (thresholds, windows, deltas)
- Check isolation bits
- Apply topology criteria (close/opposite)



# CMS L1 trigger







# CMS L1 trigger software

- Algorithms are developed in C++
- They are tested by extensive simulation studies (🧑🧑 **Event Simulation**)
- Manual translation into VHDL (**V**ery high speed integrated circuit **H**ardware **D**escription **L**anguage)
- Comparison with C++ implementation



# High level trigger

## ➤ Further data filtering:

- 30 – 100 kilohertz input rate
- 100 Hertz output rate

## ➤ Event tagging:

- Reconstruct physics objects
- Mark events having interesting features



## High level trigger (cont)

- More detailed analysis of event and underlying physics
- Runs on standard processors (commodity PCs)
- Algorithms are similar to the ones used in event reconstruction (🧐 **Event Reconstruction**), but optimized for speed.



## High level trigger (cont)

### ➤ Regional reconstruction

- Concentrates on region(s) found by Level 1
- Muons, electrons, jets, ...

### ➤ Partial reconstruction

- Abandon goal of optimal precision
- Stop as soon specific questions are answered



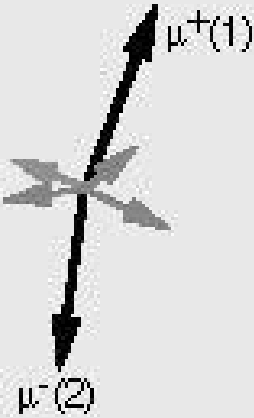
# CMS High level trigger

- Has to keep pace with the L1 Output
- Filter farm with about 1M SpecInt95
  - About 25000 Pentium III @ 1 GHz
  - About 2000 CPUs at startup (2007)
- Organized in subfarms
- Same software framework as in “offline” reconstruction
- Transparent exchange of algorithms



# CMS HLT example

- back-to-back opposite sign isolated muons



$p_T(1) > p_T(1)^{\text{threshold}}$   
 $p_T(2) > p_T(2)^{\text{threshold}}$   
 $0^\circ \leq \phi(1) < 360^\circ$   
 $0^\circ \leq \phi(2) < 360^\circ$   
 $170^\circ \leq |\phi(1) - \phi(2)| < 190^\circ$   
 $\text{ISO}(1) = 1, \text{ISO}(2) = 1$   
 $\text{MIP}(1) = 1, \text{MIP}(2) = 1$   
 $\text{SGN}(1) = 1, \text{SGN}(2) = -1$



## After the high level trigger

- Data are written to mass storage
- 1 Megabyte @ 100 Hertz =  
100 Megabyte/sec
- LHC runs for ⚡  $2 \cdot 10^7$  sec/year
- 2 Petabyte per year



## From bits to GeV and cm

- Raw data are mostly ADC or TDC counts
- They have to be converted to physical quantities like energy or position
- Very detector dependent
- Every detector needs calibration
- Calibration constants need to be stored and updated





# Calorimeter calibration

- Kinetic energy of incoming particle is converted into light or electric charge
- Destructive measurement
- Relation between deposited charge and energy needs to be known
- Long term drifts need to be monitored
- Huge amounts of data are accumulated



# Silicon Tracker calibration

- Incoming particle creates electric charge in strips or pixels
- Charge distribution depends on location of crossing point and crossing angle
- Solve inverse problem: reconstruct crossing point from charge distribution and crossing angle
- Test beam, real data



## Drift tube calibration

- Incoming particle ionizes gas in tube
- Electrons/ions drift to anode/cathode
- Drift time is measured
- Must be converted to drift distance
- Time/distance relation must be determined (not always linear)
- Test beam, real data



## Where are the detectors?

- Tracking detectors are very precise instruments
- Silicon strip detector:  $\sim 50 \mu\text{m}$
- Pixel detector:  $\sim 10 \mu\text{m}$
- Drift tube:  $\sim 100 \mu\text{m}$
- Position needs to be known to a similar precision



# Example: CMS tracker





# Alignment

- Mechanical alignment
- Measurements taken before assembly
- Switching on the magnetic field
- Laser alignment
- Alignment with charged tracks from collisions, beam halo and cosmic rays
- Continuous process



# Environmental data

- Calibration data
- Alignment data
- Temperatures, gas pressures, ...
- Machine parameters
- Need to be made persistent



# Detector related software

## ➤ Configuration

- Load trigger files, set thresholds, set HV, set amplifier gains, ...

## ➤ Slow control

- Measure temperature, gas pressure, dark currents, ...

## ➤ Monitoring

- Check trigger rates, detector efficiency, cluster sizes, wire maps,





# Event reconstruction

- Find out which particles have been created where and with which momentum
- Some of them are short-lived and have to be reconstructed from their decay products
- Some of them (neutrinos) escape without leaving any trace

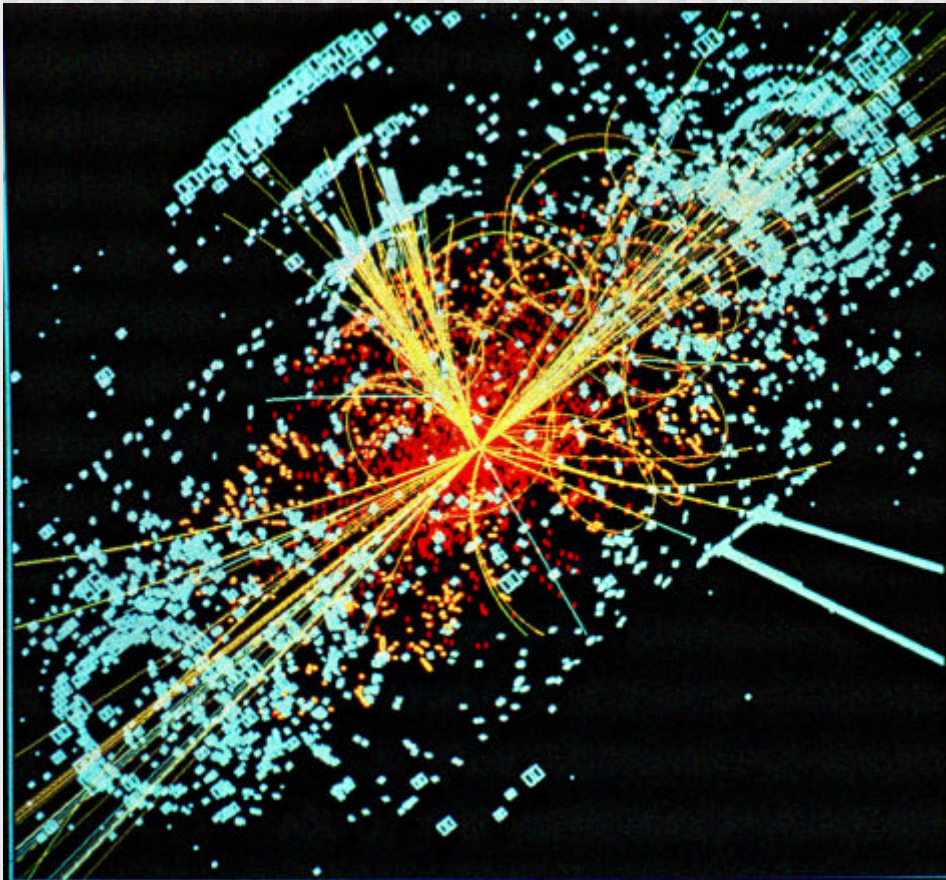


## Event reconstruction (cont)

- Reconstruct charged particles
- Reconstruct neutral particles
- Identify type of particles
- Reconstruct interaction points (vertices)
- Reconstruct kinematics of the interaction
- Not trivial ...



# CMS: Higgs decay into two jets





# Charged particles

- Charged particles are detected by tracker and calorimeters
- Muons also reach the muon system
- Very high number of low-momentum charged particles
- Select by threshold on transverse momentum



# Neutral particles

- Neutral particles are detected mainly by calorimeters (e.g. photons, neutrons)
- Some of them decay into two (or more) charged tracks which are detected by the tracker (e.g.  $K^0$ )
- Some of them escape without leaving a trace (neutrinos)



# Reconstruction of charged particles

- Trajectory is curved because of the magnetic field
- Position is measured in a number of places –“hits”
- Determine track parameters (location, direction, momentum) from the position measurements
- Data compression



# The difficulties

- Charged particles interact with all the material, not only the sensitive parts
- Multiple Coulomb scattering
  - Changes direction, but not momentum
- Energy loss by ionization
  - Changes momentum, but not direction
- Energy loss by bremsstrahlung
  - Only for electrons



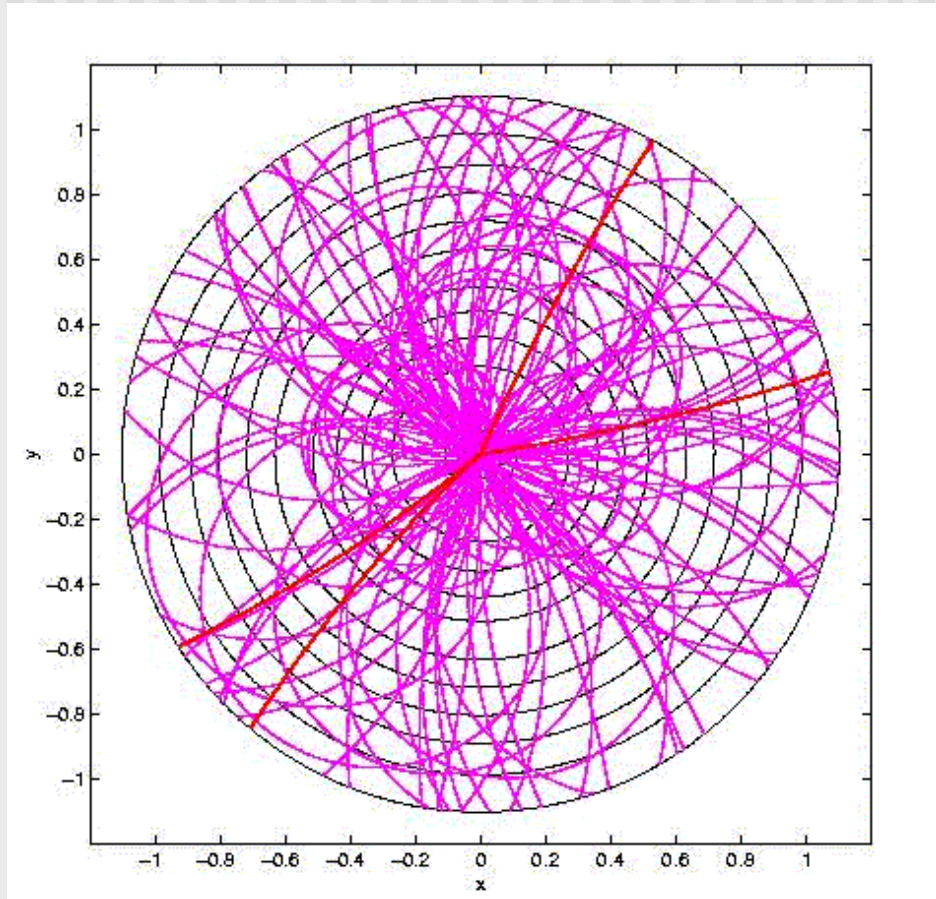
## More difficulties

- Assignment of hits to particles is unknown
- Huge background from low-momentum tracks
- Additional background from other interactions in the same beam crossing and from adjacent beam crossings



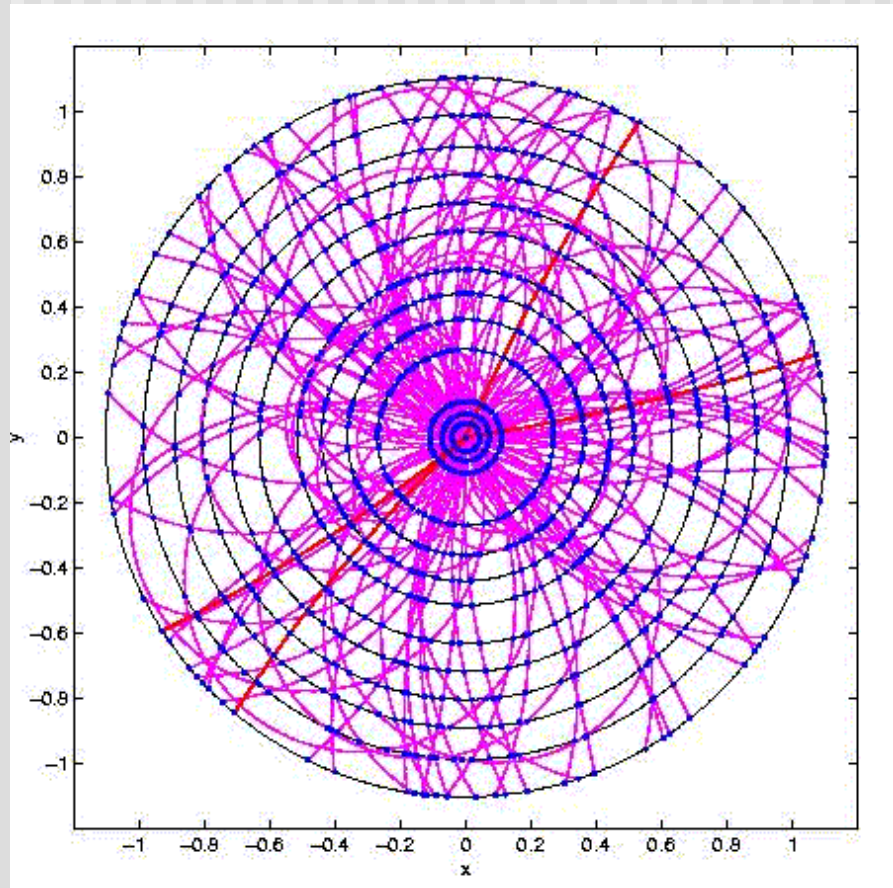


# Tracks only



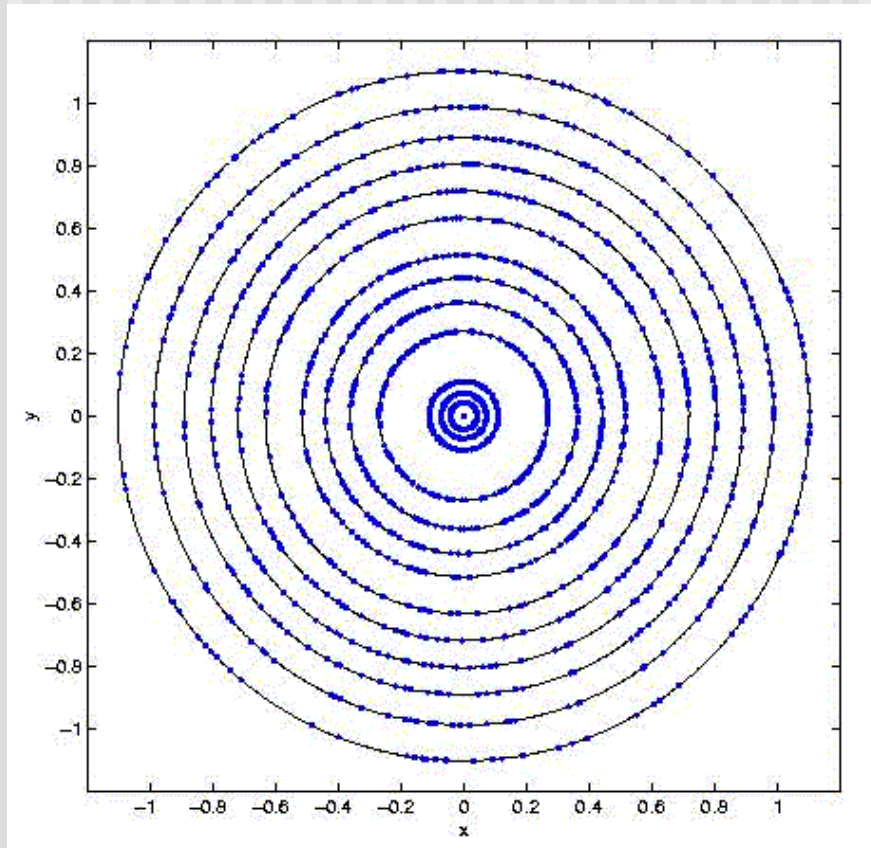


# Tracks with hits





# Hits only





# Decomposition of the problem

- **Pattern Recognition or Track Finding**
  - Assign hits to track candidates
- **Parameter estimation or Track Fit**
  - Determine track parameters + covariance matrix
- **Test of the track hypothesis**
  - Check chi-square, residuals, remove outliers



# Track finding

- Depends a lot on the properties of the detector:
  - Geometry, configuration
  - Magnetic field
  - Precision
  - Occupancy
- Many solutions available
- No general recipe



# A few track finding algorithms

- Track following
- Simple Kalman filter
- Combinatorial Kalman filter
- Track road
- Hough transform
- Hopfield network



## Track following

- Generate an initial track segment (“seed”)
- Extrapolate the seed
- Pick up hits close to extrapolated seed
- Can be done in a projection or in 3d
- Runs into trouble if too many competing hits are close to the extrapolation



## Simple Kalman filter

- Generate an initial track segment (“seed”)
- Extrapolate the seed to the next layer
- Pick up closest compatible hit and update the seed (👉 Track fit)
- Repeat until last layer
- Might pick up wrong hit somewhere and go astray





# Combinatorial Kalman filter

- Generate an initial track segment (“seed”)
- Extrapolate the seed to the next layer
- Pick up all compatible hits and make branches for all of them (+1 empty)
- Extrapolate all branches and continue
- Number of branches must be limited



## Track road

- Define a road using three hits or two hits plus a vertex (beam-line)
- Pick up hits in the road
- Can be done in a projection or in 3d
- Runs into trouble if too many competing hits are picked up in the road



# Hough transform

- Transform hits from “image space” to “parameter space”
- Hits on the same track cluster in parameter space
- Find clusters in parameter space
- Feasible only for very simple track models (line, circle)

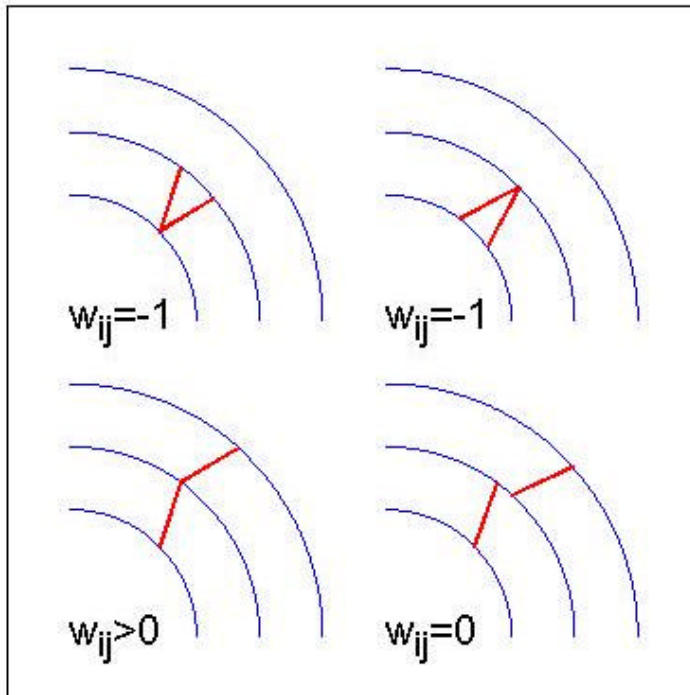


# Hopfield network

- Build recurrent neural network
- Neurons are track segments connecting hits in adjacent layers
- Weights reflect probability that two adjacent segments belong to the same track
- Minimize energy function of the network



# Hopfield network (cont)






## Hopfield network (cont)

- Track candidates are formed by neurons that are “on” in the final state
- No track model used
- Runs into trouble with high background and complicated detector geometry
- Successfully used in ALEPH TPC



# Track fit

- Determine track parameters
- Determine covariance matrix
- Test track hypothesis
- Reject outliers
  - Distorted hits (cluster fusion,  - electron)
  - Extraneous hits
  - Electronic noise



# Ingredients

- **Magnetic field**
  - Constant or variable
- **Track model**
  - Solution of the equation of motion
  - Analytic (explicit) or numerical
- **Error model**
  - Observations errors
  - Process noise





# Magnetic field

- Fast computation required
- Interpolation in a large table
- Global approximation by harmonic functions
- Local approximation by low-order polynomials
- Constant field plus correction terms



# Track model

- Propagate track parameters from A to B:

$$p_B = f_{A \rightarrow B}(p_A)$$

- Provide Jacobian:

$$F_{A \rightarrow B} = \frac{df_{A \rightarrow B}}{dp}$$

- Careful choice of track parameters important for linear approximation
- $f_{A \rightarrow B}$  is analytic only in very simple cases



## Track model (cont)

- No field: straight line
- Constant field: helix
- Even in these cases, track model is analytic only for simple detector surfaces (plane, cylinder)
- In all other cases,  $f_{A \rightarrow B}$  and  $F_{A \rightarrow B}$  have to be computed numerically



## Error model

### ➤ Observation error

- Covariance matrix usually comes along with the hit

### ➤ Process noise

- Mainly multiple Coulomb scattering, treated in Gaussian approximation
- Bremsstrahlung (for electrons), treated in Gaussian or Gaussian mixture approximation
- Energy loss by ionization, mostly mean only, no spread



# Estimation of track parameters

- Most estimators minimize a least-squares objective function
- Least-squares estimation
  - Linear regression
  - Kalman filter
- Robust estimation
  - Adaptive filter



# Linear regression

- Set up linear model:

$$m = Fp + \xi, \quad E(\xi) = V, \quad \text{cov}(\xi) = V = G^{-1}$$

- $V$  describes observation errors and process noise
- Estimation of  $p$ :

$$p' = (F^T G F)^{-1} F^T G m$$

- Covariance matrix of  $p$ :

$$\text{cov}(p') = (F^T G F)^{-1}$$



## Linear regression (cont)

- Chi-square statistic

$$\chi^2 = (m - Fp')^T G (m - Fp')$$

- Outliers may be masked by multiple scattering
- Optimal estimate only at a single point



# Kalman filter

- Iterative version of least-squares estimation
- Start with approximate track parameters and large errors
- Extrapolate to observation, adding up process noise
- Incorporate observation by weighted mean





## Kalman filter (cont)

- Iterate until all observations are used
- Last estimate contains full information
- Propagate back the full information to all previous observations – “Smoothing”
- Optimal estimates are available anywhere along the track
- Full power for outlier search



## Adaptive filter

- Robust version of the Kalman filter
- Compute Kalman filter/smoothen
- Compute “assignment probability” of each observation to the track
- Re-compute Kalman filter /smoothen, using assignment probabilities as weights
- Iterate until convergence



## Adaptive filter (cont)

- Outliers are suppressed automatically
- Automatic choice between competing or ambiguous observations
- “Soft” assignment of hits to tracks:  
assignment probabilities can vary between 0 and 1



# Reconstruction of neutral particles

- Neutral particles are only seen by the calorimeters
- Photons are absorbed in the electromagnetic calorimeter
- Neutral hadrons are absorbed in the hadronic calorimeter
- Neutrinos are not detected directly



# Shower finding

- An incident particle produces a shower in the calorimeter
- A shower is a cluster of cells with energy deposit above threshold
- Various clustering techniques are used to find showers
- Overlapping clusters must be separated



## Shower finding (cont)

- The algorithms depend on various characteristics of the calorimeter
  - Type (electromagnetic or hadronic)
  - Technology (homogeneous or sampling)
  - Cell geometry
  - Granularity



# Particle identification

- Determining the type of a particle
- Dedicated detectors
  - Threshold Cherenkov
  - Ring imaging Cherenkov (RICH)
  - Transition radiation detector
  - Ionization measurements



# Particle identification

- **Combining information from several detectors**
  - Shower in elmag calorimeter + no matching track in tracker ☹️ photon
  - Shower in elmag calorimeter + matching track in tracker ☹️ electron
  - Track in muon system + matching track in tracker ☹️ muon





# Vertex reconstruction

- Primary vertex: interaction of the two beam particles – easy
- Secondary vertices: decay vertices of unstable particles – difficult
- Emphasis on short-lived unstable particles which decay before reaching the tracker
- Data compression

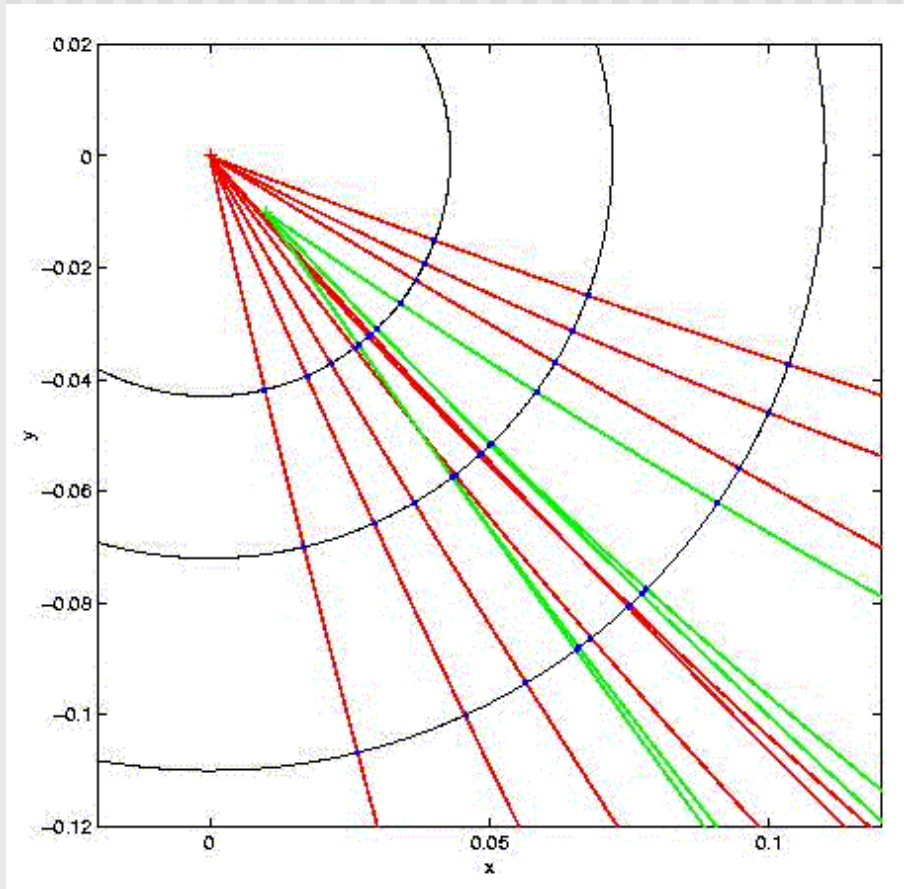


## The difficulties

- Association of tracks to vertices is unknown
- Secondary tracks may pass very close to the primary vertex
  - Especially if decay length is small
- Track reconstruction may be less than perfect



# Primary and secondary tracks





# Decomposition of the problem

- **Pattern Recognition or Vertex Finding**
  - Assign tracks to vertex candidates
- **Parameter estimation or Vertex Fit**
  - Determine vertex location + covariance matrix, update track parameters
- **Test of the vertex hypothesis**
  - Check chi-square, residuals, remove outliers



# Vertex finding

- Almost independent of the detector geometry
- Secondary vertex finding may depend on the physic channel under investigation
- Essentially a clustering problem
- Many solutions available



# A few vertex finding algorithms

- **Hierarchical clustering**
  - Single linkage, complete linkage,...
- **Non-hierarchical clustering**
  - k-means, robust location (mode) estimation, iterated vertex fit
- **Neural network/physics inspired**
  - Competitive learning, deterministic annealing, superparamagnetic clustering, quantum clustering,...



# Hierarchical clustering

- **Agglomerative**
- **Works with distances between objects (tracks) and clusters**
- **Single linkage**
  - Distance between clusters is minimum of pair-wise object distances
- **Complete linkage**
  - Distance between clusters is maximum of pair-wise object distances



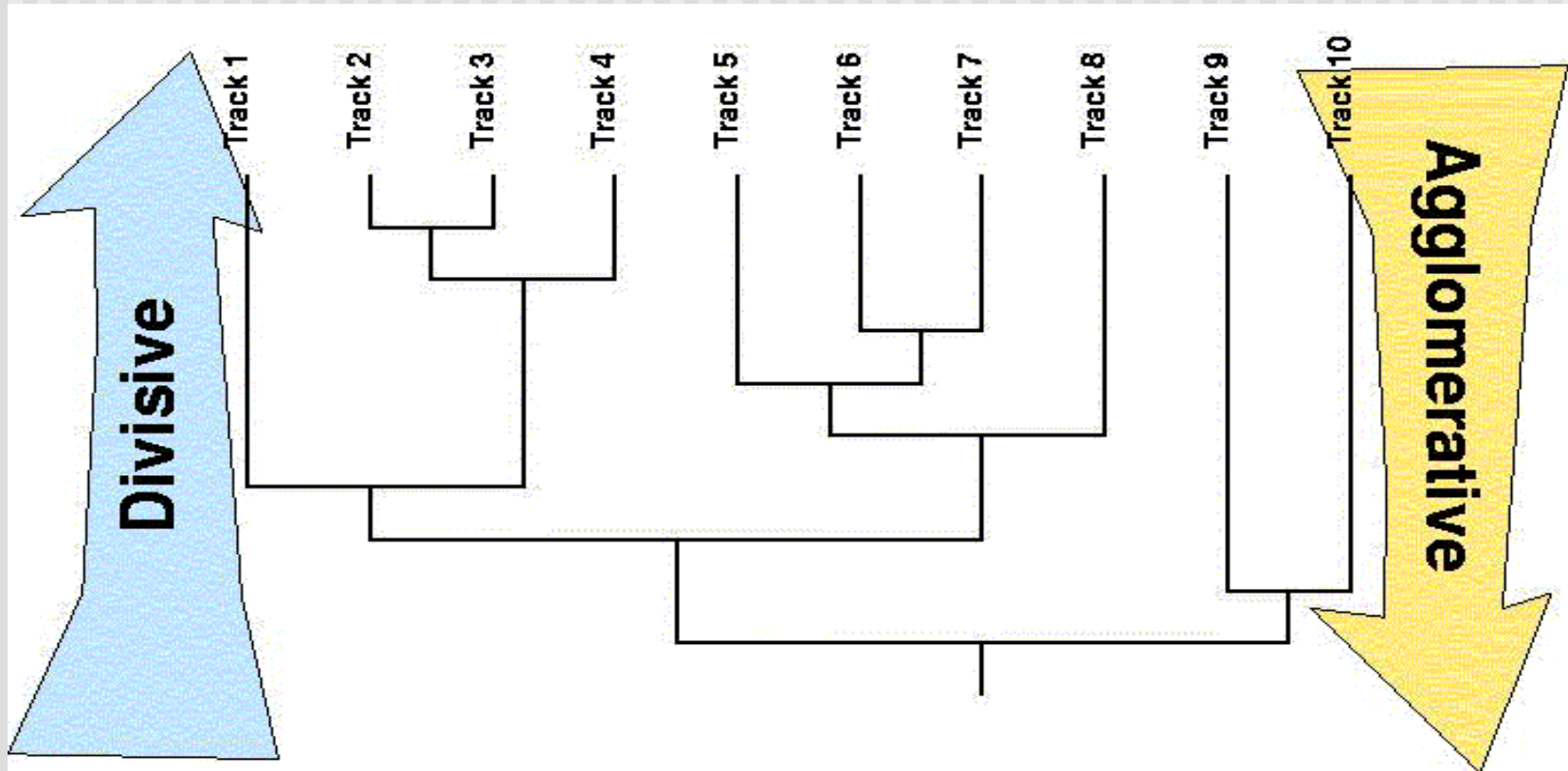
## Hierarchical clustering (cont)

- Start with singleton clusters
- Merge clusters with the smallest distance
- Iterate until smallest distance exceeds some threshold
- Fast, but explores only a very small subset of possible clustering
- Complete linkage works quite well





# Hierarchical clustering (cont)





# Non-hierarchical clustering

## ➤ K-means

- Start out with a number of prototype vertices
- For each prototype, find all tracks for which this is the closest prototype
- Update the prototype by doing a vertex fit using only those tracks
- Requires careful initialization
- Number of prototypes fixed



## Non-hierarchical clustering (cont)

### ➤ Robust location estimation

- Represent each track by a space point (“apex point”)
- Find accumulation point of apex points using location or mode estimators with high break-down point
- Remove apex points in the vicinity of the estimated accumulation point
- Iterate
- High break-down point estimators have low precision



## Non-hierarchical clustering (cont)

### ➤ Iterated vertex fit

- Vertex fit with all tracks
- Find and remove outlier(s)
- Redo vertex fit until no outliers are found
- Iterate procedure on all remaining tracks
- Very powerful
- Can be speeded up by using a robust vertex fit



# Neural network inspired clustering

## ➤ Competitive learning

- Start out with a number of prototype vertices
- Prototypes are attracted to the tracks according to some learning rule
- Iterate learning steps until convergence
- Can be made more “just” by letting all prototypes learn at about the same rate



# Neural network inspired clustering

## ➤ Deterministic annealing

- Start out with a single prototype at a certain “temperature”
- Prototype is attracted to the tracks according to some learning rule
- Compute largest eigenvalue of spread around the prototype
- Split prototype if eigenvalue is too large for the current temperature
- Iterate for each new prototype



# Estimation of vertex parameters

- Most estimators minimize a least-squares objective function
- Least-squares estimation
  - Linear regression
  - Kalman filter
- Robust estimation
  - Adaptive filter



# Linear regression

- Set up linear model:

$$p_i = c_i + A_i v + B q_i + \text{gift}_i, \quad E(\text{gift}_i) = V_i,$$

$$\text{cov}(\text{gift}_i) = V_i = G_i^{-1}$$

- $V_i$  describes track errors of track  $i$

- Estimation of vertex  $v$ :

$$v' = C \left[ \text{gift}_i \quad A_i^T \quad G_i^B \quad (p_i - c_i) \right]$$

- Covariance matrix of  $p$ :

$$\text{cov}(v') = C = \left( \text{gift}_i \quad A_i^T \quad G_i^B \quad A_i \right)^{-1}$$





## Linear regression (cont)

- Track residuals:

$$r_i = p_i - c_i - A_i v'$$

- Chi-square statistic

$$\chi^2 = \sum r_i^T G_i r_i$$

- Multiple outliers may be masked



# Kalman filter

- Iterative version of least-squares estimation
- Start with approximate vertex position and large errors
- Add one track after the other
- For each track, check compatibility with current vertex estimate
- Remove outliers immediately



## Kalman filter (cont)

- Iterate until all tracks are used
- Last estimate contains full information
- Update all track parameters – “Smoothing”
  - Improvement of track parameters by vertex constraint



## Adaptive vertex fit

- Robust version of the linear vertex fit (regression/Kalman filter)
- Make linear vertex fit
- Compute “assignment probability” of each track to the vertex
- Re-compute linear vertex fit, using assignment probabilities as weights
- Iterate until convergence



## Adaptive vertex fit (cont)

- Outliers are suppressed automatically
- “Soft” assignment of tracks to vertices: assignment probabilities can vary between 0 and 1
- Assignment can be made “hard” by cooling down to low temperature
- Adaptive filter can be reapplied to rejected tracks – vertex finding



# Kinematical fit

- **Impose constraints on a reconstructed vertex**
  - Momentum conservation
  - Energy conservation (if masses are known)
  - Invariant mass of mother particle
- **Put constraints into a Lagrange multiplier**
- **Construct least-squares objective function**



## Kinematical fit

- Taylor-expand objective function with respect to all momentum vectors
- Minimize objective function
- Neutral particles have to be included (calorimeter information)



# Persistence

- Event reconstruction produces physics objects
  - Tracks
  - Vertices
  - Identified particles
  - Jets
  - Tags
- Need to be made persistent





## Persistency (cont)

- **Physics objects depend on**
  - Alignment
  - Calibration
  - Version of the reconstruction program
  - Algorithm parameters
- **Must be made persistent as well**
- **About 200 kbyte per event (CMS)**
- **Tools: Objectivity, ROOT, POOL**



# POOL

- Common persistency framework for physics applications at LHC
- Part of the LCG (LHC Computing Grid)
- Data are stored in a distributed and grid-enabled fashion
- You will hear a LOT about POOL later!



# Simulation

- Why do we need simulation?
- Optimization of detector in design phase
- Testing, validation and optimization of reconstruction algorithms
- Computation of reconstruction efficiency
- Computation of acceptance corrections
- Background studies



## Simulation steps

- Event generation
- Tracking through the detector, using detector geometry and magnetic field
- Interaction of particles with matter
- Signal generation in sensitive volumes
- Digitization (simulate ADC or TDC)
- Digitized data and truth information are made persistent



## Event generation packages

### ➤ PYTHIA/JETSET

- Also known as “Lund Monte Carlo”
- General purpose event generator
- Collisions of electrons, positrons, protons and antiprotons in various combinations.
- “Together they contain theory and models for a number of physics aspects, including hard and soft interactions, parton distributions, initial and final state parton showers, multiple interactions, fragmentation and decay.”



# Event generation packages (cont)

## ➤ HERWIG

- Hadron Emission Reactions With Interfering Gluons
- General purpose event generator
- Hard lepton-lepton, lepton-hadron and hadron-hadron scattering and soft hadron-hadron collisions
- Current version in FORTRAN, HERWIG++ planned



## Event generation packages (cont)

### ➤ PANDORA

- Physics event generator for linear collider studies
- Collisions of electrons, positrons and photons
- Current version in FORTRAN, HERWIG++ planned
- Written in C++
- Interface to PYTHIA



## Event generation packages (cont)

- **LOTS of specialized generators for**
  - Electroweak physics
  - QCD
  - Higgs
  - Supersymmetry
  - Exotic physics





## Detector simulation

- Was frequently (and still sometimes is) experiment-specific
- Nowadays there is a widely used standard:  
**GEANT**
  - GEANT3: FORTRAN
  - GEANT4: C++
- You will hear a LOT about GEANT4 later!



# GEANT4 functionality

- Description of geometry and materials
- Particle tracking and interactions with matter
- Generation of the detector response
- Bookkeeping, metadata management
- Visualization of geometry, tracks and hits



## User responsibility

- Link to the event generator
- Description of the detector
- Setting of physics processes and cuts
- Code for digitization of the detector response and generation of noise
- Tuning – simulated data should resemble real ones as closely as possible



# Detector description

## ➤ Geometry

- Shape
- Placement relative to mother volume
- Symmetries

## ➤ Material

- Composition
- Density
- Radiation length, interaction length, ...



## DD examples

### ➤ CMS

- XML Schema detector description database
- Derive detector descriptions for simulation (GEANT4), reconstruction and visualization

### ➤ ATLAS

- Primary Numbers stored in relational database
- GeoModel C++ library
- Derive detector descriptions for simulation (GEANT4), reconstruction and visualization



# DD examples

## ➤ Alice

- ROOT classes
- Used for simulation and reconstruction
- Invoke physics processes from GEANT and FLUKA

## ➤ LHCb

- XML DTD (Document Type Definition)
- Interpreted by GAUDI plug-ins to build detector representations for simulation and reconstructions



# Physics analysis

## ➤ Event selection

- Multidimensional criteria

## ➤ Signal extraction

- Study background
- Determine significance of signal

## ➤ Corrections

- Detector acceptance, reconstruction efficiency, ...
- From simulated data



## Physics analysis (cont)

- **Computation of physical quantities**
  - Cross sections, masses, decay widths, ...
- **... and of their errors**
  - Statistical errors: uncertainty because of limited number of observations
  - Systematic errors: uncertainty because of limited knowledge of key assumptions (beam energy, calibration, alignment, magnetic field, theoretical values, background channels, ...)





# Analysis tools

- **Need versatile tools for**
  - Multidimensional selection
  - Event display and interactive reprocessing
  - Histogramming
  - Plotting
  - Fitting of curves and models
  - Point estimation and confidence intervals
  - ...



## Analysis tools (cont)

### ➤ ROOT

- Builds on HBOOK and PAW (CERN)

### ➤ JAS

- Java Analysis Studio (SLAC)

### ➤ OpenScientist

- “Open, modular, free, portable, efficient and collaborative” (LAL Orsay)

### ➤ AIDA

- common interfaces for data analysis and visualisation



## Distributed analysis

- Physics analysis will take place in many labs all over the world
- Physicists need access to event data and corresponding calibration, alignment and bookkeeping data ... and to simulated data
- We need the grid!
- You will hear a LOT about the grid next week!



# Reconstruction on demand

- Objects are reconstructed if and when required by the user
- User requests fitted vertices
  - ☞ triggers vertex reconstruction
  - ☞ triggers track reconstruction
  - ☞ triggers hit reconstruction
  - ☞ hit reconstruction is done
  - ☞ track reconstruction is done
  - ☞ vertex reconstruction is done



# Metadata challenge

- Metadata are data describing other data
- Distributed analysis needs lots of metadata to track the location and validity of alignment constants, calibration constants, reconstructed objects, ...
- Frequent updates
- Frequent access



# Summary

- **Physics computing involves:**
  - Event filtering with multilevel trigger
  - Persistency of raw data
  - Calibration and alignment
  - Persistency of calibration, alignment and environmental data
  - Event reconstruction
  - Persistency of reconstruction objects and metadata



## Summary (cont)

- **Physics computing involves:**
  - Event simulation
  - Persistency of simulated raw data and truth information
  - Reconstruction of simulated events
  - Persistency of reconstruction object and truth information
  - Distributed physics analysis
  - Persistency of high-level physics objects



# Outlook on the track

- **Data bases and persistency**
  - 3 L, 3 E
- **Experiment simulation**
  - 4 L, 3 E
- **Physics in GEANT4**
  - 2 L (optional)